

This presentation will be subject to revision

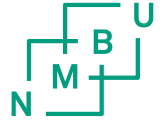
Daniel Kling

2014-05-15

Familias 3 – Dropouts and other updates

Daniel Kling

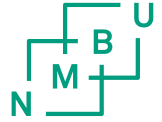
Copenhagen May 20-23 2014



Contents

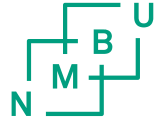
- Brief overview
- Repetition/Updates
 - DVI module
 - Blind search interface
 - Simulation interface
- Dropouts
- Familial searching (In brief)
- Create database feature (In brief)
- Other news

Familias 3 - Introduction



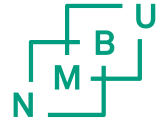
- Paper submitted
- Several bugs corrected
- Vast improvements
- New functions added
 - Log(LR) in simulations
 - Blind search options
 - View mutation matrix
 - Etc...

Familias 3 – Repetition

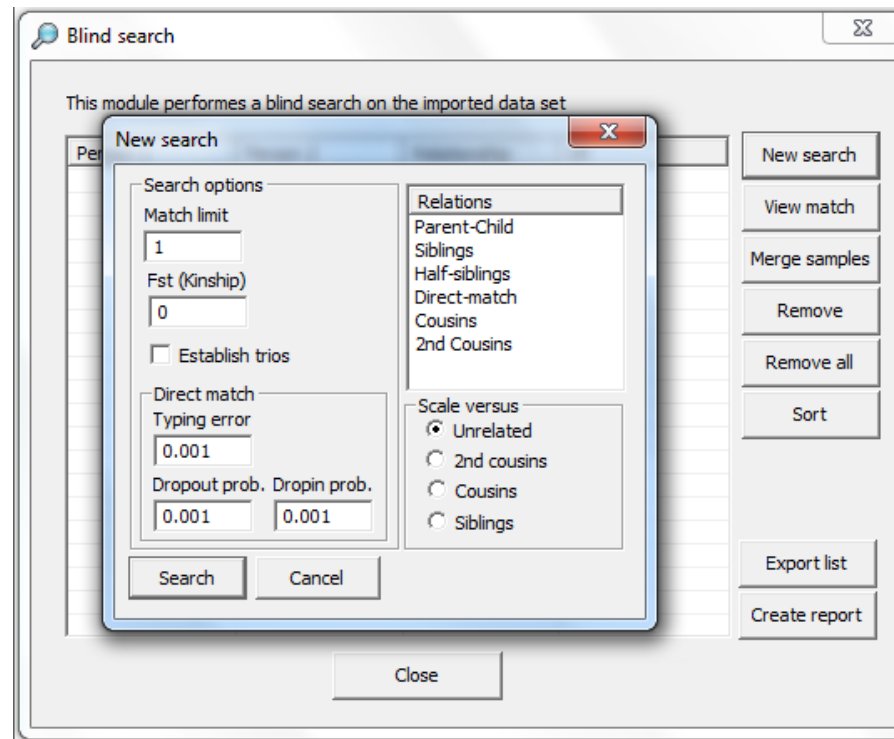


- DVI (Distaster Victim Identification)
 - What is a DVI operation?
 - Mass comparisons
 - New import option
 - CODIS xml-format
 - Faster!
 - New options on the priors
 - Export the result to text file (Open in Excel)

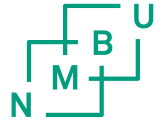
Familias 3 - Repetition



- Blind search
 - Search dataset for “unknown” relations
 - Detect relations among victims in DVI
 - Faster!



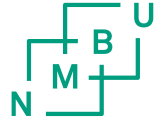
Familias 3 – Repetition



– Simulation

- What is a simulation?
 - Based on a model
- Why do we want to simulate?
 - Find distributions of LRs
 - What can we expect
- The utility of simulations
 - Assisting tool in decision prior to obtaining a case
 - Assisting tool after a case is complete
- Further uses
 - Use raw data to perform statistical calculations
 - Use simulated data in other settings

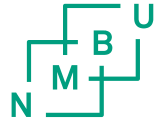
Familias 3 – Repetition



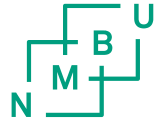
– Simulation

- Find good thresholds
 - False positive/negative rate
- Investigate what we can expect
- Include
 - Kinship
 - Mutations
 - Silent alleles
 - Multiple pedigrees
- Investigate the number of persons we must genotype
- Investigate the number of markers we must include

Familias 3 – News



Familias 3 – Direct matching



- Uses a “new” model presented by Kling et al.
- Two profiles, G1 and G2

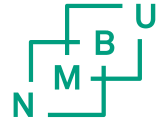
H0: Profiles belong to one person

H1: Profiles belong to two persons

- Latent genotypes
- Conditional genotype probabilities

$$LR = \frac{P(G_1, G_2 | H_0)}{P(G_1, G_2 | H_1)} = \frac{\sum_{i=1}^A \sum_{j=i}^A P(G_{true,i,j}) P(G_1 | G_{true,i,j}) P(G_2 | G_{true,i,j})}{P(G_1) P(G_2)}$$

Familias 3 – Random match prob.



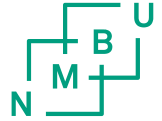
- Compare DNA data

Compare DNA

System	1/RMP	Sample 1	
D3S1358	9.1026	15, 17	
TH01	8.4361	9.3, 9.3	
D21S11	19.217	29, 29	
D18S51	28.393	14, 17	
PENTA_E	139.95	14, 15	
D5S818	9.4873	12, 13	
D13S317	10.922	12, 12	
D7S820	50.366	12, 12	
D16S539	11.748	9, 11	
CSF1PO	4.984	11, 12	
PENTA_D	21.165	10, 13	
VWA	11.207	16, 18	
D8S1179	17.665	12, 14	
TPOX	27.217	8, 12	

Save Close Total 1/RMP:8.46766e+031

Familias 3 – Import Genemapper file



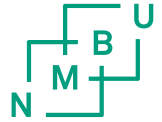
- Export data from Genemapper

- File -> Export table

- Genotypes table

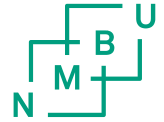
Sample Name \t Marker \t Allele1 \t Allele2

Familias 3 – Familial searching (Beta)

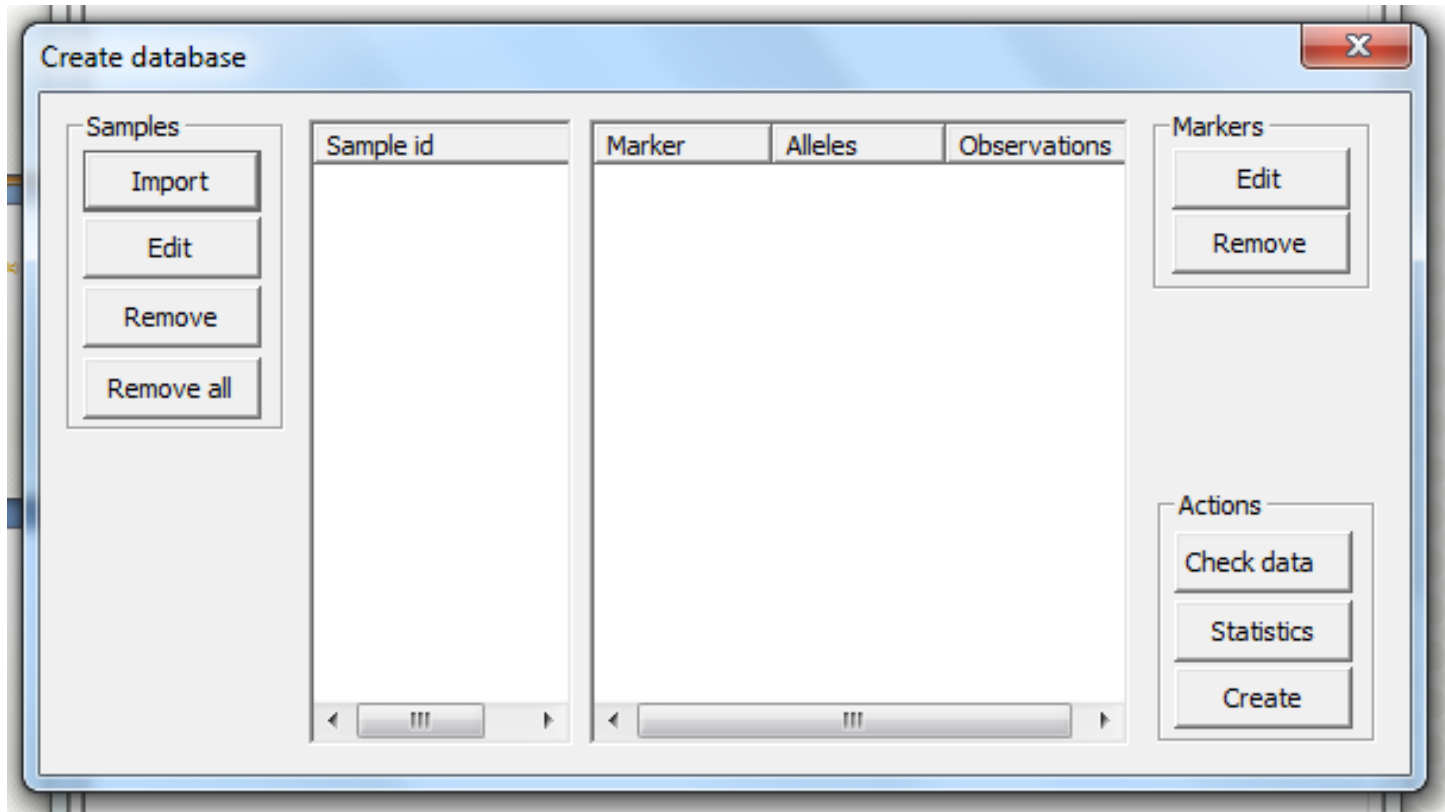


- What is Familial searching?
 - Relative in database?
- Databases
 - Large searches
 - Spurious matches
- Mixtures
 - LR calculations
- Other uses
 - Find if the father of the unborn child of woman is in the criminal database

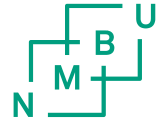
Familias 3 – Create database



- Use output directly from Genemapper



Familias 3 – View mutation matrix



- Advanced settings

View mutation matrix

Options
D3S1358

Gender
 Male
 Female

Mutation parameters
Model: Equal probability (Simple)
Rate: 0.001

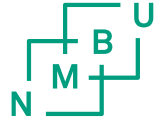
Export
Close

Mutation to

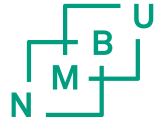
Alleles	10	11	13	14	15	16	17
10	0.999	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001
11	0.0001	0.999	0.0001	0.0001	0.0001	0.0001	0.0001
13	0.0001	0.0001	0.999	0.0001	0.0001	0.0001	0.0001
14	0.0001	0.0001	0.0001	0.999	0.0001	0.0001	0.0001
15	0.0001	0.0001	0.0001	0.0001	0.999	0.0001	0.0001
16	0.0001	0.0001	0.0001	0.0001	0.0001	0.999	0.0001
17	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001	0.999
18	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001
19	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001
20	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001
21	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001	0.0001

Mutation from

Familias 3 - Dropouts

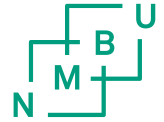


Familias 3 - Dropouts



- What is a dropout?
- The model
 - Conditional genotype probabilities
 - Dropout probability
- Low quality profiles
- Estimation of dropout probabilities
 - Logistic regression
- Implementation in Familias
 - LR for a number of dropout probabilities

Familias 3 - Dropouts



Models and implementation for relationship problems with dropout

Guro Dørum^{a*}, Daniel Kling^{a,b}, Carlos Baeza-Richer^c, Manuel García-Magariños^{a,d},
Solve Sæbø^a, Stijn Desmyter^e, and Thore Egeland^{a,f}

Familias 3 - Dropouts

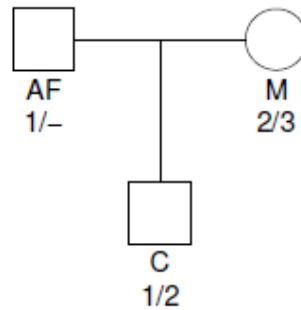
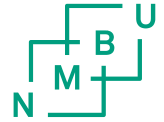


Figure 1: Pedigree in the motivational example.

The hypotheses tested are

H_1 : AF is the father of C

H_2 : Someone unrelated to AF is the father of C

LR without uncertainty: $[P(1,1)P(2,3)0.5]/[P(1,1)P(2,3)p(1)0.5]=1/p(1)$

Familias 3 - Dropouts

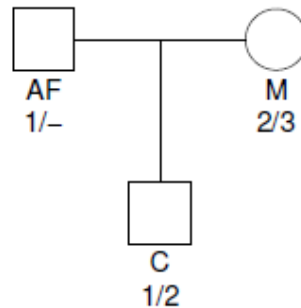
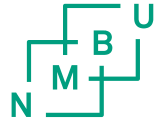


Figure 1: Pedigree in the motivational example.

The hypotheses tested are

H_1 : AF is the father of C

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LR with uncertainty:

$$LR = \frac{\sum_j P(G_C | G_M, G_{AF_j}) P(G_{AF}^* | G_{AF_j}) P(G_{AF_j})}{P(G_C | G_M) \sum_j P(G_{AF}^* | G_{AF_j}) P(G_{AF_j})}$$

Familias 3 - Dropouts

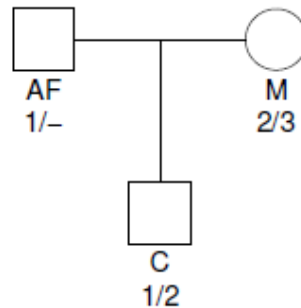
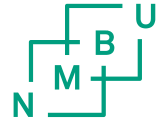


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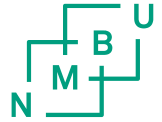
LR with uncertainty:

$$LR = \frac{\sum_j P(G_C | G_M, G_{AF_j}) P(G_{AF}^* | G_{AF_j}) P(G_{AF_j})}{P(G_C | G_M) \sum_j P(G_{AF}^* | G_{AF_j}) P(G_{AF_j})}$$

$$P(G_{AF}^* = 1/- | G_{AF} = 1/1) = 1 - d^2$$

$$P(G_{AF}^* = 1/- | G_{AF} = 1/Q) = d(1 - d).$$

Familias 3 - Dropouts



LR with uncertainty:

method 2 when d approaches 1. With $d = 0$, i.e. dropout is not possible, $G_{AF} = 1/1$ has probability 1. The probability of AF's partial genotype, found with (1), is $P(G_{AF}^*) = p^2(1 - d^2) + 2p(1 - p)d(1 - d)$. The LR is

$$\begin{aligned} LR &= \frac{0.5 \times p^2(1 - d^2) + 0.5^2 \times 2p(1 - p)d(1 - d)}{0.5 \times p \times (p^2(1 - d^2) + 2p(1 - p)d(1 - d))} \\ &= \frac{d + p}{p^2(1 - d) + 2dp}. \end{aligned} \quad (4)$$

If we insert $d = 1$ into the reduced term in the last line of (4), the result is the LR in (3), which shows that method 3 approaches method 2 as the dropout probability approaches 1.

Familias 3 - Dropouts

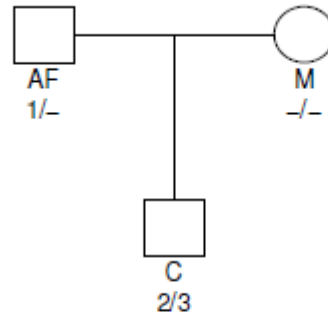
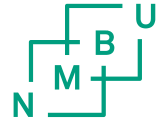
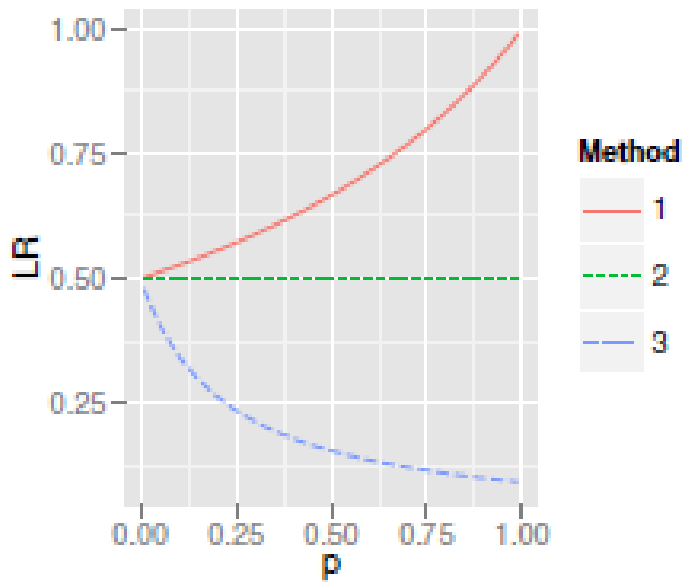
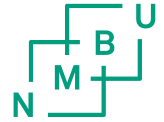
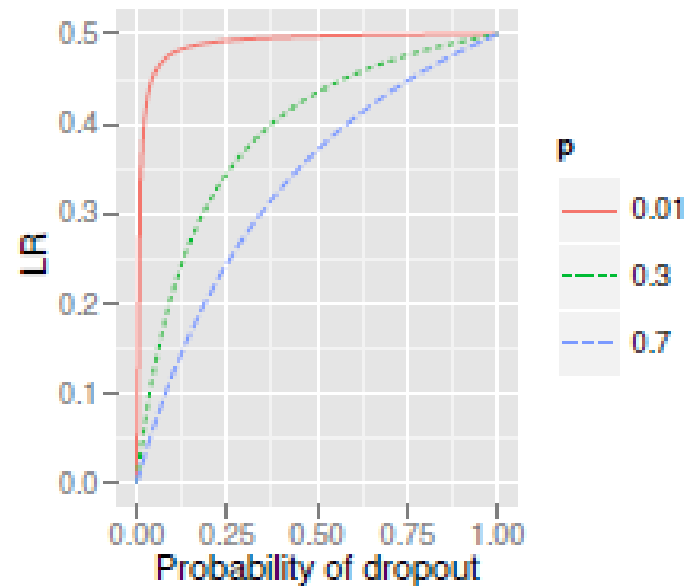


Figure 4: Pedigree in example 2.

Familias 3 - Dropouts

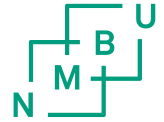


(a) Comparison of dropout methods



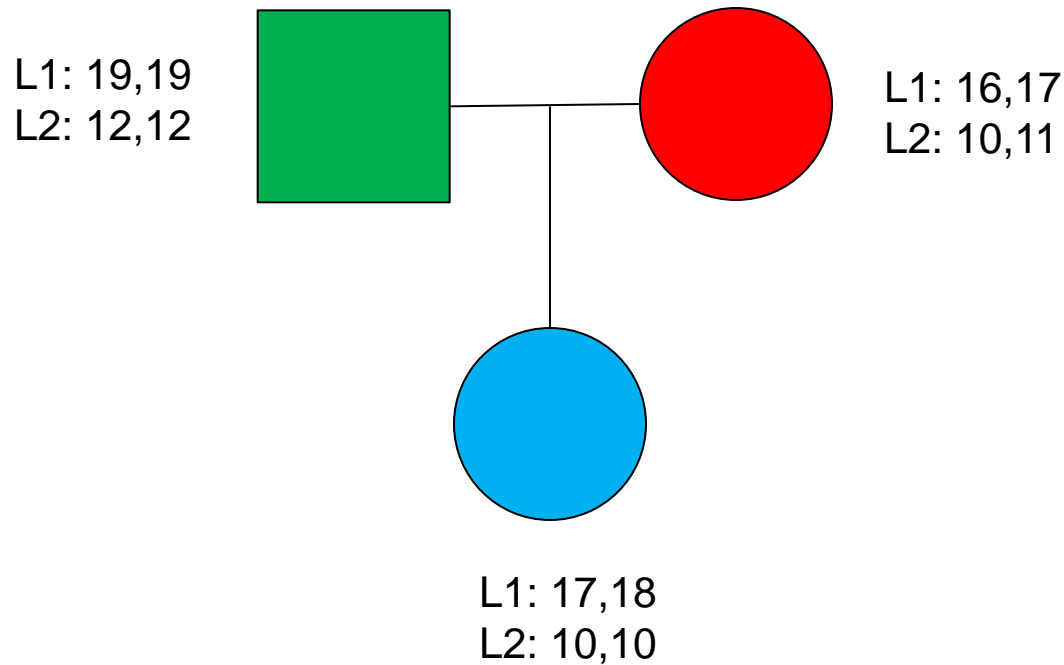
(b) Method 3: LR vs dropout

Familias 3 - Dropouts

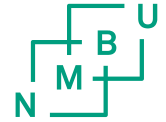


- Dropout versus silent allele

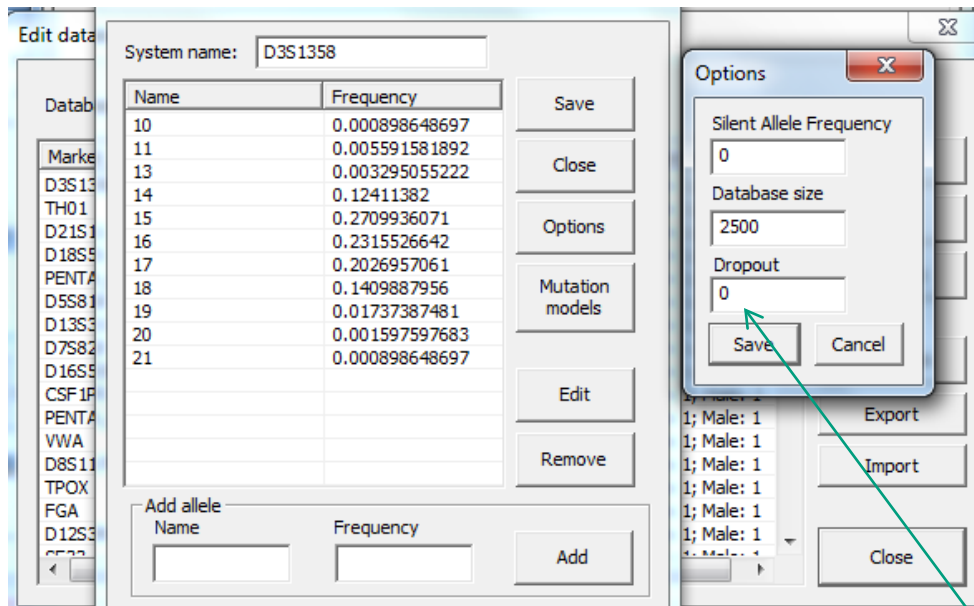
Example



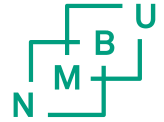
Familias 3 - Dropouts



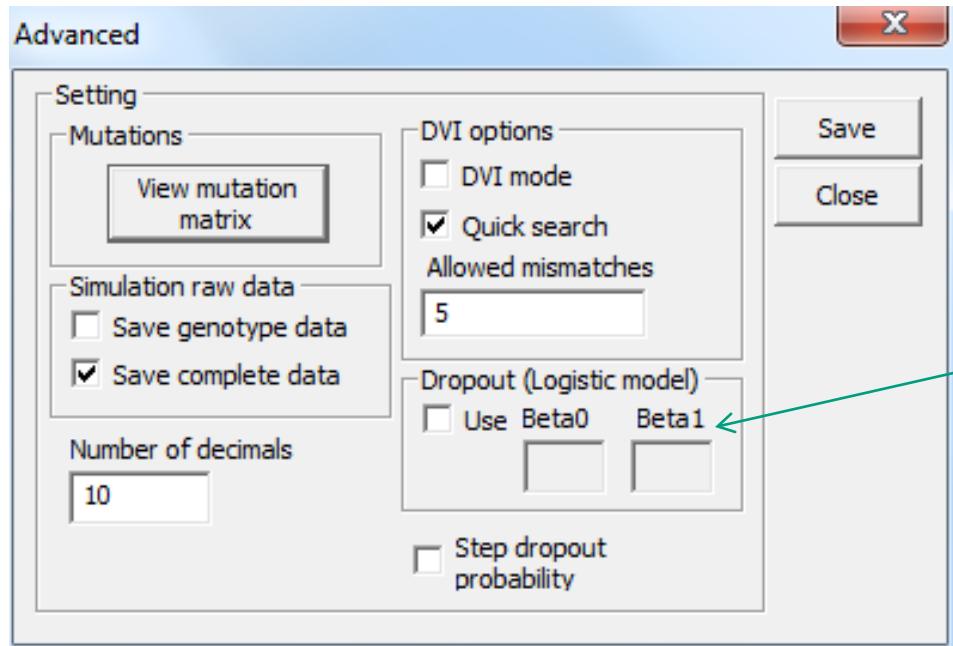
– Define dropout probabilities for each system



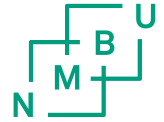
Familias 3 - Dropouts



- Define the use of logistic regression model



$$\text{logit}(d) = \log\left(\frac{d}{1-d}\right) = \beta_0 - \beta_1 \log(H)$$



Exercises Day 2

- Exercises in Familias 3.1.3
 - Do exercise 15-17
 - Dropouts
 - Complete the exercises in the Familias 3 – exercises
 - New: 7, 8 and 9