

Lecture 2: Market failures and env. damages

- Objectives
 - ▶ repeat some basic concepts
 - ▶ explain environmental damages
 - ▶ set market failures in a rival - non-rival / exclusive - non-exclusive framework
 - ▶ systemize basic concepts

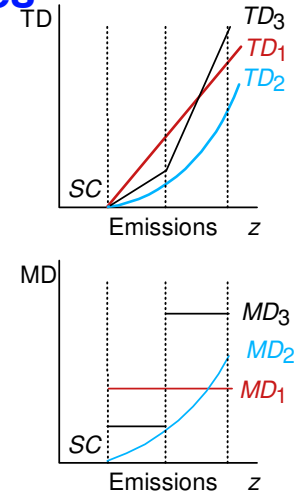
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Environmental damages

- Total damages: $TD(z)$
- Self cleaning capacity: SC
- Marginal damages: $MD(z)$
- Damage scenarios:
 1. Linear damages
 2. Convex (std.) damages
 3. Kinked damages
- Physical units $MD(z)$ → Monetary units $MEC(z)$
a monotonic transformation



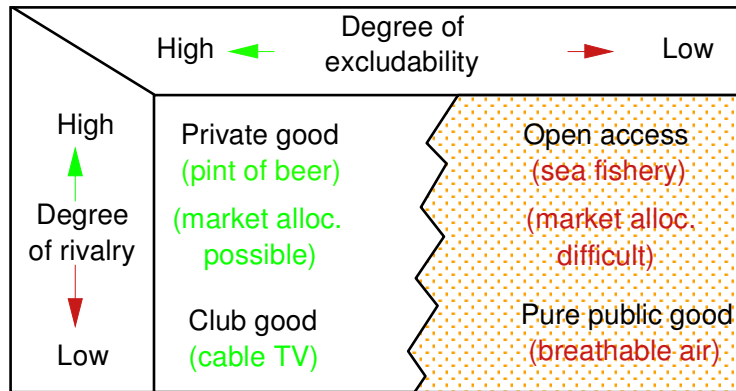
Public goods and bads (1)

- Excludability
 - ▶ To be able to use prices to allocate a good, it is necessary that consumers do not consume the good unless an appropriate price has been paid
 - ▶ Definition :
A *good is excludable* if it is feasible and practical to selectively allow consumers to consume the good.
A *bad is excludable* if it is feasible and practical to selectively allow consumers to avoid consumption of the bad.

... public goods and bads (2)

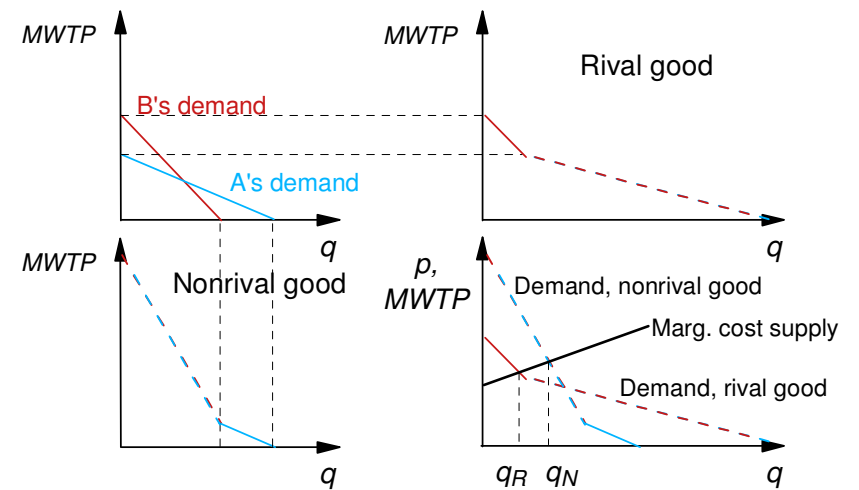
- Rivalry
 - ▶ a good is rival in consumption if the act of consumption reduces the amount of the good that is available to other
 - ▶ Definition :
A *good (bad) is rival* if one person's consumption of a unit of the good (bad) reduces the amount of the good (bad) available to other consumers.
 - ▶ Corrolary :
Rivalry of a good (bad) \Rightarrow there is a positive (negative) social opportunity cost to others associated with consumption

... public goods and bads (3)

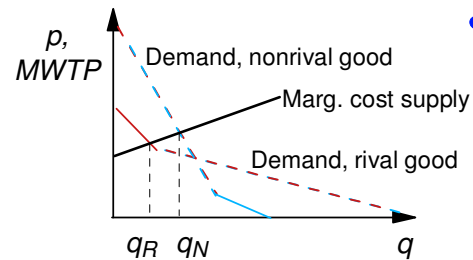


Note: other factors (like market power and cost structures) could also make allocation in the market difficult

Optimal public goods levels (1)



... optimal public goods levels (2)



- Optimal emissions:
 $MEC(q) = \sum MAC_i(q_i)$
 - ▶ horizontal sum of ind. agents marg. abatement costs
 - ▶ vertical sum of ind. agents marg. damages

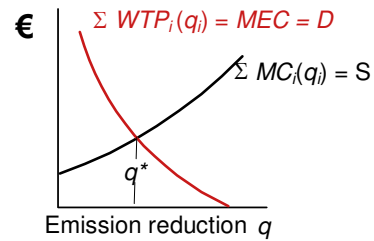
• Implications:

- ▶ opt. amt. of nonrival goods could be non-zero for such high costs that the rival opt. amt. equal zero
- ▶ opt. amt. of rival goods is generally higher at low costs than for nonrival goods

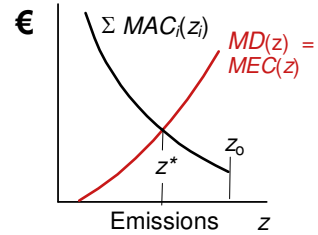
... optimal public goods levels (3)

- Private goods: have public prices
- Public goods: have private prices
 - ▶ private prices arise because of no-excludability
 - ▶ problems: free-riding, finding the demand for public goods
 - valuation methods: contingent valuation / hedonic pricing method / travel cost method
 - ▶ Lindahl prices = everybody pays according to their marginal value
 - + produces right prices in theory
 - no incentives to participate (best not to take part)

... optimal public goods levels (4)



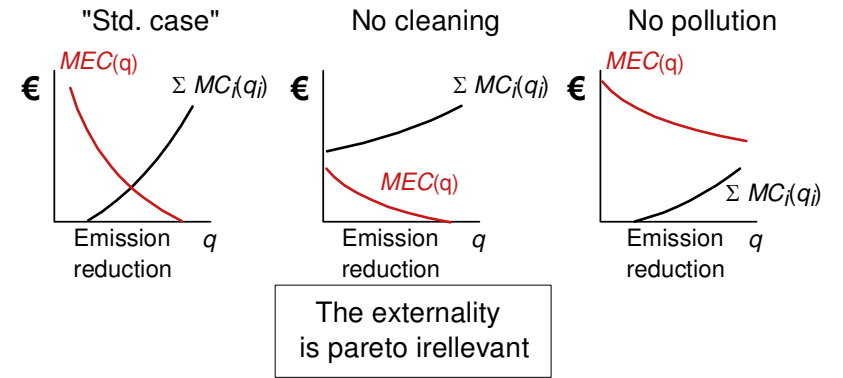
- Two perspectives:
 - ▶ "talk to economists": demand for environmental goods (like reduction in emiss, q)



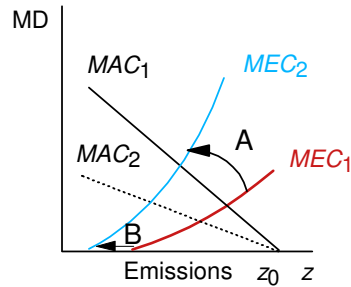
- ▶ "talk to natural scientists": marginal damages of emissions

NOTE: $z_0 - z^* = q^*$

... optimal public goods levels (5)



... optimal public goods levels (6)



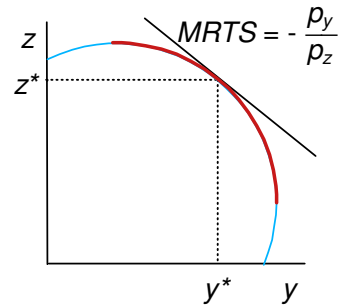
- Stock effects
 - A. MEC (MD) rotates counter clockwise
 - B. reduction in self cleaning capacity
- Importance of low marginal abatement costs, *MAC*
 - ▶ lower *MAC* leads to lower social opt. emission levels

It costs to produce pub.goods

- Assume no environmental regulations
 - ▶ the observed public good level would be what maximizes firms' expected profits
 - ▶ suppose this public good level socially sub-optimal
- Constrained / unconstrained optimization
 - ▶ why firms/consumers oppose environmental regulations
- Emissions reductions can be viewed as a public good \Rightarrow emissions reductions below observed levels \Rightarrow costs \uparrow / profits \downarrow

The tradeoffs (1)

- Standard profit function
 - ▶ $\pi = p_y y - C(y)$ (where y is the "good" output)
 - ▶ for any output, y , there is an adjoint level of a public good, z , in the absence of technology change
 - ▶ Let p_z be the unit price (payment) for the public good
- Revised profit function
 - ▶ $\pi = p_y y + p_z z - C(y, z)$



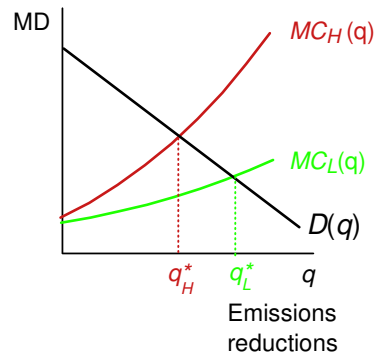
For a given level of costs there is a relationship between possible amounts of y and z , given by the production possibility set

... tradeoffs - simplified (2)

- For a given technology, a functional relationship (red segment) between y and $z \Rightarrow y(z)$
- Revised profit function (for given technology)
 - ▶ $\pi = p_y y + p_z z - C(y, z) = p_y y(z) + p_z z - C(y(z), z)$
 - ▶ containing one choice variable, z
- Simplifies the problem in terms of graphical analysis \Rightarrow gives tradeoff profits & provision level of the "public good" = opportunity cost of providing the public good

Low costs matter

- Suppose two cleaning technologies
 - ▶ High cost
 - ▶ Low cost
- Optimal emissions reductions are higher for the low cost than high cost technology
 - ▶ what are total costs
 - ▶ what are the marginal costs of cleaning at the two optima?



Summary

- The relationship total vs. marginal curves
- Framing environmental problems
 - ▶ to economists - supplying a cleaner environment: MEC as demand, MAC as supply
 - ▶ to nat.sci. - reducing emissions from a starting level (Z_0)
- The optimal emission level
 - ▶ stock impacts
 - ▶ impact of choosing policies that give low MACs
- Public goods vs. private goods
 - ▶ excludability and rivalry in consumption
- Constrained optimization / opportunity costs